

# Enhancing workflow-nets with data for trace completion

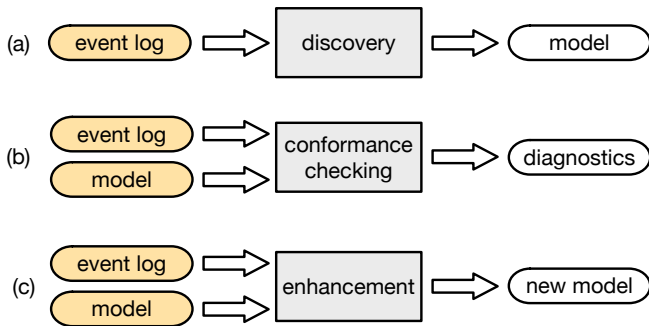
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S. Tessaris

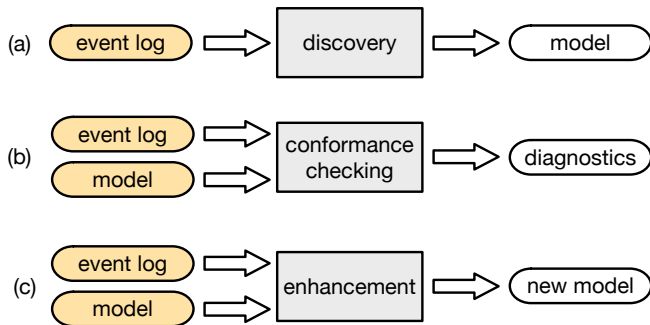
FBK-IRST and Free University of Bolzano-Bozen

KAOS project meeting  
May 26, 2017

- 1 Problem
- 2 Framework
- 3 Technique

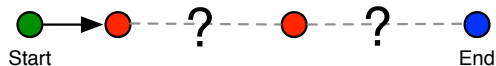
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**Logs play a fundamental role!**

# What if logs are *incomplete*?



## Causes:

- noise on data;
- human tasks;
- bad/no fully-automated logging policies;
- ...

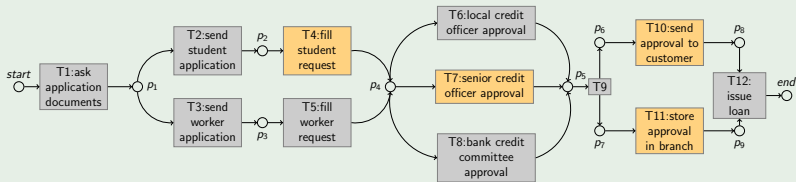
# We “repair” it!

How?

We assume to have a **prescriptive** process model and find its possible complete executions *compliant* with the trace.

# Example (easy)

## Example

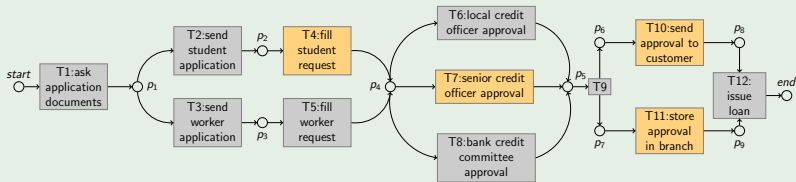


... → T4 → T7 → T10 → T11 → ...



# Example (easy)

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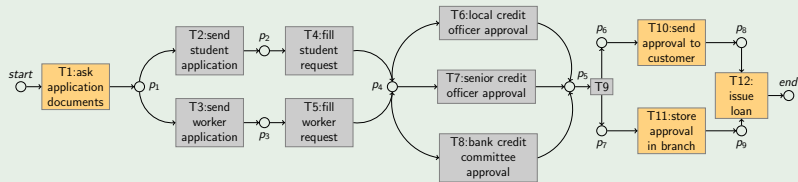
... → T4 → T7 → T10 → T11 → ...



start → T2 → T4 → T7 → T10 → T11 → T12 → end

# Example (hard)

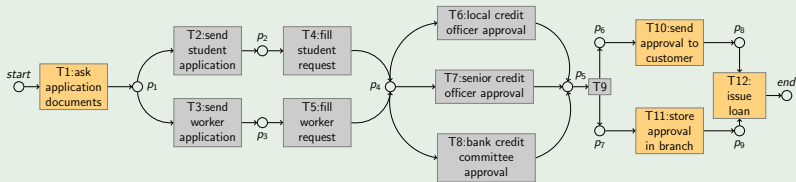
## Example



*start*  $\rightarrow$  T1  $\rightarrow$  ...  $\rightarrow$  T10  $\rightarrow$  T11  $\rightarrow$  T12  $\rightarrow$  *end*

# Example (hard)

## Example



$start \rightarrow T1 \rightarrow \dots \rightarrow T10 \rightarrow T11 \rightarrow T12 \rightarrow end$

⇓

?

Equip the process model with **data information**:

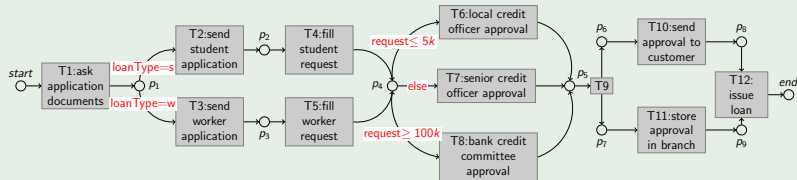
- conditions on exclusive branches;
- how tasks modify data.

# Contribution

Equip the process model with **data information**:

- conditions on exclusive branches;
- how tasks modify data.

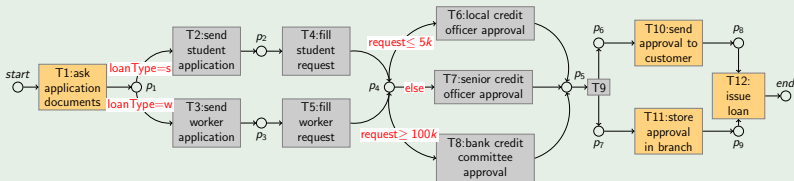
## Example



- *T1* writes *loanType*;
- *T4* writes  $3k \leq request \leq 5k$ ;
- *T5* writes  $request \geq 1k$ .

# Example (hard): solved!

## Example

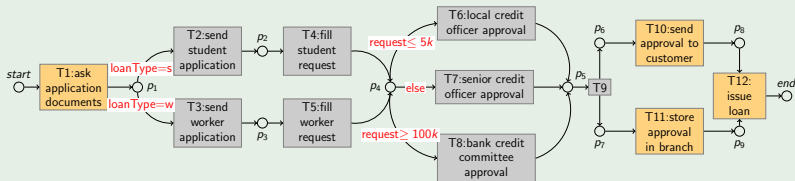


- T1 writes  $loanType$ ;
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- T5 writes  $1k \leq request \leq 500k$ .

$start \rightarrow T1[\cdot] \rightarrow \dots \rightarrow T10[\cdot] \rightarrow T11[*] \rightarrow T12[\cdot] \rightarrow end$   
\* :  $loanType = s, request = 4k$   
 $\Downarrow$

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$\Downarrow$   
 $start \rightarrow T1 \rightarrow T2 \rightarrow T4 \rightarrow T6 \rightarrow T10 \rightarrow T11 \rightarrow T12 \rightarrow end$

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## Definition (Data model)

A *data model* is a tuple  $\mathcal{D} = (\mathcal{V}, \Delta, \text{dm}, \text{ord})$  where:

- $\mathcal{V}$  is a possibly infinite set of **variables**;
- $\Delta = \{\Delta_1, \Delta_2, \dots\}$  is a possibly infinite set of **domains** (not necessarily disjoint);
- $\text{dm} : \mathcal{V} \rightarrow \Delta$  is a total and surjective function which associates to each variable  $v$  its domain  $\Delta_i$ ;
- $\text{ord}$  is a partial function that, given a domain  $\Delta_i$ , if  $\text{ord}(\Delta_i)$  is defined, then it returns a **partial order** (reflexive, antisymmetric and transitive)  $\leq_{\Delta_i} \subseteq \Delta_i \times \Delta_i$ .

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## Example

- $\mathcal{V} = \{\text{loanType}, \text{request}\}$ ;
- $\text{dm}(\text{loanType}) = \{\text{w}, \text{s}\}$ ,  $\text{dm}(\text{request}) = \mathbb{N}$ ;
- $\text{dm}(\text{loan})$  is total ordered by the natural ordering  $\leq$  in  $\mathbb{N}$ .

## Definition (DAW-net)

A *DAW-net* is a tuple  $\langle \mathcal{D}, \mathcal{N}, wr, gd \rangle$  where:

- $\mathcal{N} = \{P, T, F\}$  is a **WF-net**;
- $\mathcal{D} = \{\mathcal{V}, \Delta, dm, ord\}$  is a **data model**;
- $wr : T \mapsto (\mathcal{V}' \mapsto 2^{dm(\mathcal{V})})$ , where  $\mathcal{V}' \subseteq \mathcal{V}$ ,  $dm(\mathcal{V}) = \bigcup_{v \in \mathcal{V}} dm(v)$  and  $wr(t)(v) \subseteq dm(v)$  for each  $v \in \mathcal{V}'$ , is a function that associates each transition to a (*partial*) function **mapping variables to a finite subset of their domain**.
- $gd : T \mapsto \mathcal{L}(\mathcal{D})$  is a function that associates a **guard** to each transition.

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## Example

- $wr(T4) : \{request\} \mapsto \{3k \dots 5k\}$
- $wr(T5) : \{request\} \mapsto \{1k \dots 500k\}$

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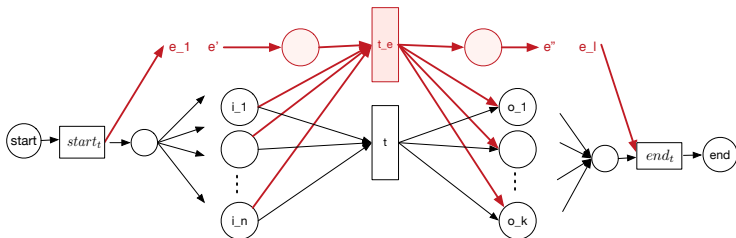
Problem:

- Input : 1) trace  $\tau$  (events & payloads) and 2) DAW-net model  $W$ ;
- output : yes if compliant, no otherwise.

**Compliance:**  $W$  contains all the events observed in  $\tau$  (with the corresponding variable updates) in the right order and those can be extended so as to reach the final marking.

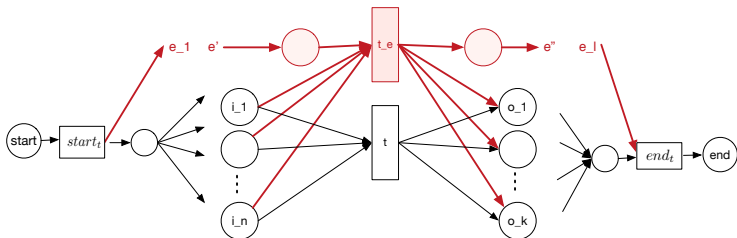
# Trace repair as reachability

We “inject”  $\tau$  in  $W$  thus obtaining  $W^\tau$  as follows:



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## Sound and complete encoding:

- all executions of  $W^\tau$  are compliant with  $\tau$ ;
- each execution of  $W^\tau$  is also a case of  $W$  and
- if there is an execution of  $W$  compliant with  $\tau$ , then that is also an execution for  $W^\tau$ .



**Reachability:** it is possible to reach the final marking in the above net?

If so, then  $\tau$  is **compliant** and the plan is a possible **repair**.

Workflow net encoding:

- a fluent declaration  $p$  for each place;
- an action declaration  $t$  for each task;
- rules for generating and consuming tokens.

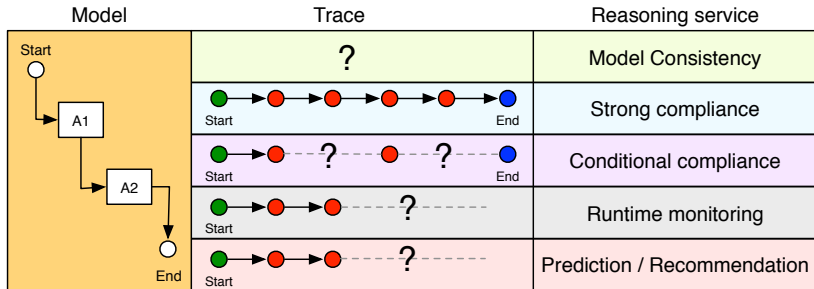
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Data encoding:

- a fluent unary predicate  $\text{var}_v$  for each variable  $v \in \mathcal{V}$  holding its value;
- we impose *functionality*;
- **nondeterministic** value update only if corresponding task is executed.

# (Other) reasoning tasks we get for free



Data-centric dynamic systems  
(infinite domains, tasks modify relational data)

$\Upsilon$

DAW-nets  
(finite domains, tasks modify global variables)

$\Upsilon$

workflow-nets with data  
(Sidorova et al., reasoning on variables *defined* or *undefined*)

## EXPERIMENTS!

With  $DLV^{\mathcal{K}}$ , an ASP-based planner, performances are :-)